

# Package: choicer (via r-universe)

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**Title** Discrete Choice Models for Economic Applications

**Version** 0.1.0.9000

**Description** Fast estimation of discrete-choice models for applied economics. Likelihoods, analytical gradients and Hessians are implemented in C++ with 'OpenMP' parallelism, scaling efficiently to specifications with many alternative-specific constants. Post-estimation routines return predicted shares, own- and cross-price elasticities, and diversion ratios. Supports multinomial logit ('MNL'), mixed logit ('MXL'), and nested logit ('NL').

**License** LGPL (>= 3)

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**BugReports** <https://github.com/fpcordeiro/choicer/issues>

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blp	<i>BLP contraction mapping</i>
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---

## Description

Finds the ASC (delta) parameters such that predicted market shares match target shares, using the contraction mapping of Berry, Levinsohn, and Pakes (1995) [doi:10.2307/2171802](https://doi.org/10.2307/2171802).

## Usage

```
blp(object, target_shares, ...)
```

## Arguments

object	A fitted model object.
target_shares	Numeric vector of target market shares (length J).
...	Additional arguments passed to methods.

## Value

Converged delta (ASC) vector.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
blp(fit, target_shares = rep(1/J, J))

```

---

blp.choicer\_mnl

*BLP contraction mapping for multinomial logit model*


---

**Description**

BLP contraction mapping for multinomial logit model

**Usage**

```

## S3 method for class 'choicer_mnl'
blp(
  object,
  target_shares,
  delta_init = NULL,
  tol = 1e-08,
  max_iter = 1000,
  ...
)

```

**Arguments**

object	A choicer_mnl object fitted with keep_data = TRUE.
target_shares	Numeric vector of target market shares. Length J_inside when no outside option, or J_inside + 1 (with the outside option's share at index 1) when include_outside_option = TRUE.
delta_init	Initial guess for delta (ASC) values. If NULL, uses the estimated ASCs from the fitted model.
tol	Convergence tolerance (default 1e-8).
max_iter	Maximum iterations (default 1000).
...	Additional arguments (ignored).

**Value**

Converged delta (ASC) vector.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
blp(fit, target_shares = rep(1/J, J))

```

blp.choicer\_mxl

*BLP contraction mapping for mixed logit model***Description**

BLP contraction mapping for mixed logit model

**Usage**

```

## S3 method for class 'choicer_mxl'
blp(
  object,
  target_shares,
  delta_init = NULL,
  tol = 1e-08,
  max_iter = 1000,
  ...
)

```

**Arguments**

object	A choicer_mxl object fitted with keep_data = TRUE.
target_shares	Numeric vector of target market shares. Length J_inside when no outside option, or J_inside + 1 (with the outside option's share at index 1) when include_outside_option = TRUE.
delta_init	Initial guess for delta (ASC) values. If NULL, uses the estimated ASCs from the fitted model.
tol	Convergence tolerance (default 1e-8).
max_iter	Maximum iterations (default 1000).
...	Additional arguments (ignored).

**Value**

Converged delta (ASC) vector.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = "w1", S = 50L
)
blp(fit, target_shares = rep(1/J, J))

```

blp.choicer\_nl

*BLP contraction mapping for nested logit model***Description**

BLP contraction mapping for nested logit model

**Usage**

```

## S3 method for class 'choicer_nl'
blp(
  object,
  target_shares,
  delta_init = NULL,
  damping = 1,
  tol = 1e-08,
  max_iter = 1000,
  ...
)

```

**Arguments**

object	A choicer_nl object fitted with keep_data = TRUE.
target_shares	Numeric vector of target market shares. Length J_inside when no outside option, or J_inside + 1 (with the outside option's share at index 1) when include_outside_option = TRUE.
delta_init	Initial guess for delta (ASC) values. If NULL, uses the estimated ASCs from the fitted model.
damping	Contraction damping factor in (0, 1] (default 1).
tol	Convergence tolerance (default 1e-8).
max_iter	Maximum iterations (default 1000).
...	Additional arguments (ignored).

**Value**

Converged delta (ASC) vector.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, nest := rep(c(1L, 1L, 2L, 2L), N)]
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
blp(fit, target_shares = rep(1/J, J))
```

---

blp\_contraction

*BLP95 contraction mapping to find delta given target shares*


---

**Description**

BLP95 contraction mapping to find delta given target shares

**Usage**

```
blp_contraction(
  delta,
  target_shares,
  X,
  beta,
  alt_idx,
  M,
  weights,
  include_outside_option = FALSE,
  tol = 1e-08,
  max_iter = 1000L
)
```

**Arguments**

delta	J x 1 vector with initial guess for deltas (ASCs)
target_shares	J x 1 vector with target shares for each alternative
X	sum(M) x K design matrix with covariates. M[i] x K matrix for individual i
beta	K x 1 vector with model parameters
alt_idx	sum(M) x 1 vector with indices of alternatives within each choice set; 1-based indexing

M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)
tol	convergence tolerance
max_iter	maximum number of iterations

**Value**

vector with contraction's delta (ASCs) output

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
beta <- coef(fit)[fit$param_map$beta]
delta <- blp_contraction(rep(0, J), rep(1/J, J), fit$data$X,
  beta, fit$data$alt_idx, fit$data$M, fit$data$weights)
delta
```

---

build_var_mat	<i>Reconstruct variance matrix L from L_params</i>
---------------	--

---

**Description**

Reconstruct variance matrix L from L\_params

**Usage**

```
build_var_mat(L_params, K_w, rc_correlation)
```

**Arguments**

L_params	flattened choleski decomposition version of the random coefficient parameters matrix
K_w	dimension of the random coefficient parameter (symmetric) matrix
rc_correlation	whether random coefficients are correlated

**Value**

matrix equal to  $LL'$ , where  $L$  is the choleski decomposition of random coefficient matrix

**Examples**

```
L_params <- c(log(1.0), 0.3, log(0.5))
Sigma <- build_var_mat(L_params, K_w = 2, rc_correlation = TRUE)
Sigma # 2x2 covariance matrix
```

---

coef.choicer_fit	<i>Extract coefficients from a choicer_fit object</i>
------------------	---

---

**Description**

Extract coefficients from a choicer\_fit object

**Usage**

```
## S3 method for class 'choicer_fit'
coef(object, ...)
```

**Arguments**

object	A choicer_fit object.
...	Additional arguments (ignored).

**Value**

Named numeric vector of estimated coefficients.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
coef(fit)
```

---

diversion\_ratios
*Compute aggregate diversion ratios*

---

**Description**

Computes a  $J \times J$  matrix of diversion ratios. Entry  $(i, j)$  is the fraction of demand lost by alternative  $j$  that is captured by alternative  $i$  when alternative  $j$  becomes less attractive.

**Usage**

```
diversion_ratios(object, ...)
```

**Arguments**

`object`            A fitted model object.  
`...`              Additional arguments passed to methods.

**Value**

A  $J \times J$  diversion ratio matrix with alternative labels.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
diversion_ratios(fit)
```

---

diversion\_ratios.choicer\_mnl
*Diversion ratios for multinomial logit model*

---

**Description**

Diversion ratios for multinomial logit model

**Usage**

```
## S3 method for class 'choicer_mnl'
diversion_ratios(object, ...)
```

**Arguments**

object            A choicer\_mnl object fitted with keep\_data = TRUE.  
 ...              Additional arguments (ignored).

**Value**

A J x J diversion ratio matrix with alternative labels.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
diversion_ratios(fit)
```

---

diversion\_ratios.choicer\_mxl

*Diversion ratios for mixed logit model*

---

**Description**

Computes the attribute-based diversion ratio matrix. Entry (k, j) is the fraction of demand lost by alternative j that is captured by alternative k when a marginal change in alternative j's wrt\_var attribute reduces s\_j.

**Usage**

```
## S3 method for class 'choicer_mxl'
diversion_ratios(object, wrt_var, is_random_coef = FALSE, ...)
```

**Arguments**

object            A choicer\_mxl object fitted with keep\_data = TRUE.  
 wrt\_var           Variable used to perturb alternative j's utility: a column name (character) or 1-based index. Indexes into X columns for fixed coefficients, or W columns for random coefficients (when is\_random\_coef = TRUE).  
 is\_random\_coef   Logical. TRUE if the variable has a random coefficient (is in W), FALSE if fixed (in X). Default FALSE.  
 ...              Additional arguments (ignored).

**Details**

Unlike MNL, the MXL diversion ratio depends on which variable is perturbed: the realised coefficient  $\beta_{ik}^s$  varies across individuals and draws and does not cancel in the ratio. For a variable with a fixed coefficient the result is independent of the variable ( $\beta$  cancels); for a random-coefficient variable it is not.

**Value**

A  $J \times J$  diversion ratio matrix with alternative labels. Cross-products are averaged across simulation draws inside the integration to avoid Jensen-style bias.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = "w1", S = 50L
)
diversion_ratios(fit, "x1")
diversion_ratios(fit, "w1", is_random_coef = TRUE)
```

---

diversion\_ratios.choicer\_nl

*Diversion ratios for nested logit model*

---

**Description**

Diversion ratios for nested logit model

**Usage**

```
## S3 method for class 'choicer_nl'
diversion_ratios(object, ...)
```

**Arguments**

object	A choicer_nl object fitted with keep_data = TRUE.
...	Additional arguments (ignored).

**Value**

A  $J \times J$  diversion ratio matrix with alternative labels.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, nest := rep(c(1L, 1L, 2L, 2L), N)]
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
diversion_ratios(fit)

```

---

elasticities

---

*Compute aggregate elasticities*


---

**Description**

Computes a  $J \times J$  matrix of aggregate elasticities. Entry  $(i, j)$  is the percentage change in the probability of choosing alternative  $i$  when the attribute of alternative  $j$  changes by 1\

**Usage**

```
elasticities(object, ...)
```

**Arguments**

object	A fitted model object.
...	Additional arguments passed to methods.

**Value**

A  $J \times J$  elasticity matrix with alternative labels.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
elasticities(fit, "x1")

```

---

```
elasticities.choicer_mnl
```

*Elasticities for multinomial logit model*

---

### Description

Elasticities for multinomial logit model

### Usage

```
## S3 method for class 'choicer_mnl'
elasticities(object, elast_var, ...)
```

### Arguments

object	A choicer_mnl object fitted with keep_data = TRUE.
elast_var	Variable for elasticity computation: a column name (character) or 1-based index into the design matrix X.
...	Additional arguments (ignored).

### Value

A J x J elasticity matrix with alternative labels.

### Examples

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
elasticities(fit, "x1")
```

---

```
elasticities.choicer_mxl
```

*Elasticities for mixed logit model*

---

### Description

Elasticities for mixed logit model

**Usage**

```
## S3 method for class 'choicer_mx1'
elasticities(object, elast_var, is_random_coef = FALSE, ...)
```

**Arguments**

**object** A choicer\_mx1 object fitted with keep\_data = TRUE.

**elast\_var** Variable for elasticity computation: a column name (character) or 1-based index. Indexes into X columns for fixed coefficients, or W columns for random coefficients (when is\_random\_coef = TRUE).

**is\_random\_coef** Logical. TRUE if the variable has a random coefficient (is in W), FALSE if fixed (in X). Default FALSE.

**...** Additional arguments (ignored).

**Value**

A J x J elasticity matrix with alternative labels.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = "w1", S = 50L
)
elasticities(fit, "x1")
elasticities(fit, "w1", is_random_coef = TRUE)
```

---

elasticities.choicer\_nl

*Elasticities for nested logit model*

---

**Description**

Elasticities for nested logit model

**Usage**

```
## S3 method for class 'choicer_nl'
elasticities(object, elast_var, ...)
```

**Arguments**

object	A choicer_n1 object fitted with keep_data = TRUE.
elast_var	Variable for elasticity computation: a column name (character) or 1-based index into the design matrix X.
...	Additional arguments (ignored).

**Value**

A  $J \times J$  elasticity matrix with alternative labels.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, nest := rep(c(1L, 1L, 2L, 2L), N)]
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
elasticities(fit, "x1")
```

---

get\_halton\_normals      *Halton draws for mixed logit*

---

**Description**

Create halton normal draws in appropriate format for mixed logit estimation

**Usage**

```
get_halton_normals(S, N, K_w)
```

**Arguments**

S	Number of draws for each choice situation
N	number of choice situations
K_w	dimension of random coefficients (number of columns in W matrix)

**Value**

$K_w \times S \times N$  array with halton standard normal draws

**Examples**

```
draws <- get_halton_normals(S = 50, N = 10, K_w = 2)
dim(draws) # 2 x 50 x 10
```

---

jacobian\_vech\_Sigma     *Utility to compute analytical Jacobian of random coefficient matrix transformed by vech (dVech(Sigma) / dTheta)*

---

**Description**

Utility to compute analytical Jacobian of random coefficient matrix transformed by vech (dVech(Sigma) / dTheta)

**Usage**

```
jacobian_vech_Sigma(L_params, K_w, rc_correlation = TRUE)
```

**Arguments**

L\_params            flattened choleski decomposition version of the random coefficient parameters matrix  
 K\_w                 dimension of the random coefficient parameter (symmetric) matrix  
 rc\_correlation    whether random coefficients are correlated

**Value**

Jacobian (dVech(Sigma) / dTheta)

**Examples**

```
L_params <- c(log(0.8), 0.2, log(0.6))
J_mat <- jacobian_vech_Sigma(L_params, K_w = 2, rc_correlation = TRUE)
dim(J_mat) # 3 x 3 for K_w=2 correlated
```

---

logLik.choicer\_fit     *Extract log-likelihood from a choicer\_fit object*

---

**Description**

Returns a logLik object, which enables AIC() and BIC() automatically.

**Usage**

```
## S3 method for class 'choicer_fit'
logLik(object, ...)
```

**Arguments**

object            A choicer\_fit object.  
 ...              Additional arguments (ignored).

**Value**

A logLik object with df and nobs attributes.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
logLik(fit)
AIC(fit)
BIC(fit)
```

---

mc\_asymptotics

*Asymptotic diagnostics for a Monte Carlo study*


---

**Description**

Consumes a choicer\_mc object and returns per-parameter asymptotic diagnostics: Monte Carlo bias (with MC standard error), empirical SD of the estimates, mean of the reported standard errors, SE-to-SD ratio (information-matrix-equality check), Wald coverage at nominal 90 / 95 / 99 percent with Wilson confidence bands, moments of the studentized statistic  $z = (\text{theta\_hat} - \text{theta\_0}) / \text{se}$ , and four normality tests on  $z$  (Shapiro-Wilk, Anderson-Darling via `gofest::ad.test`, a hand-coded Jarque-Bera statistic, and a one-sample Kolmogorov-Smirnov test against  $N(0, 1)$ ).

**Usage**

```
mc_asymptotics(
  mc,
  level = 0.95,
  se_col = "se",
  conv_threshold = 0.99,
  se_ratio_threshold_floor = 0.1
)
```

**Arguments**

mc	A choicer_mc object returned by <code>monte_carlo()</code> .
level	Confidence level for the Wilson bands on coverage rates. Defaults to 0.95.
se_col	Name of the column in <code>mc\$replications</code> to use as the standard-error source. Defaults to "se" (the Hessian-based SE stored by <code>monte_carlo()</code> ). Callers that augment replications with an alternative SE flavor (e.g., "se_bhhh" for

a BHHH/OPG comparison) can pass that column name to recompute every SE-dependent diagnostic (mean\_se, se\_ratio, mean\_se\_w, cov90/95/99, z-moments, normality tests, pass flags) against that flavor. Useful for the information-matrix-equality check in Claim 4 of the MXL validation suite.

- `conv_threshold` Numeric in  $[0, 1]$ . Minimum fraction of replications that must converge for the per-parameter `pass_convergence` flag to be TRUE. The flag compares `R_used` / `R_total` (per parameter) against this threshold. Defaults to 0.99.
- `se_ratio_threshold_floor`  
 Numeric scalar. Minimum half-width for the `pass_se_ratio` band. The actual band used is  $\max(\text{se\_ratio\_threshold\_floor}, 3 * 1.4 / \sqrt{R\_used})$ , where the  $1.4 / \sqrt{R}$  term approximates the large-sample SD of `mean_se` / `sd_emp`. The floor guarantees the band is never tighter than the historical hard cutoff. Defaults to 0.10.

## Details

Six logical pass / fail flags are attached to every parameter row: `pass_bias` requires  $|\text{bias\_mc\_se}| < 3$ ; `pass_se_ratio` requires  $|\text{se\_ratio} - 1|$  to lie within  $\max(\text{se\_ratio\_threshold\_floor}, 3 * 1.4 / \sqrt{R\_used})$  (a noise-aware band that widens at small `R_used` and tightens to the floor at large `R_used`); `pass_cov95` requires the nominal 95 percent level to lie in the Wilson band for empirical coverage; `pass_skew` requires  $|\text{skew\_z}| < 0.3$ ; `pass_kurt` requires excess kurtosis of `z` in  $[-0.5, 1.0]$ ; `pass_convergence` requires the per-parameter convergence rate (`R_used` / `R_total`) to meet `conv_threshold`.

Non-converged replications are excluded per parameter (reported in `R_excluded`). Winsorized (5 percent / 95 percent) versions of `bias`, `sd_emp`, and `mean_se` are reported in parallel columns (`bias_w`, `sd_emp_w`, `mean_se_w`) so silent outlier exclusion is transparent to the reader. Two robust SE-to-SD ratios accompany the Hessian-mean-based `se_ratio`: `se_ratio_med` (median SE divided by the empirical SD) and `se_ratio_w` (winsorized mean SE divided by the winsorized empirical SD); both stay near 1 when 1-2 replications produce near-singular Hessians that inflate `mean_se`. The companion `se_med` column reports the median per-replication SE used by `se_ratio_med`. Neither robust ratio drives a `pass_*` flag — they are purely informational.

Winsorized z-moment counterparts (`mean_z_w`, `sd_z_w`, `skew_z_w`, `kurt_excess_z_w`) are reported alongside the raw z-moments and feed an additional `pass_z_w` flag (Winsorized skew within the same band as `pass_skew` AND Winsorized excess kurtosis within the same band as `pass_kurt`). A companion `pass_cov95_w` flag is TRUE when either `pass_cov95` is TRUE OR the per-rep Winsorized z-CI (the empirical 2.5 / 97.5 percentiles of the Winsorized `z`) covers truth-zero. These two flags are designed for boundary scenarios (e.g., near-zero variance components) where a small number of reps with vanishing SE inflate the raw z-moments without indicating an estimator defect.

## Value

An object of class `choicer_mc_asymptotics` — a `data.table` with one row per unique parameter and columns documented above — with `meta` attached as an attribute (`attr(x, "meta")`).

## Examples

```
sim_fun <- function(seed) simulate_mnl_data(N = 1000, J = 3, seed = seed)
fit_fun <- function(sim) run_mnlogit(
```

```

data = sim$data, id_col = "id", alt_col = "alt", choice_col = "choice",
covariate_cols = c("x1", "x2"), outside_opt_label = 0L,
include_outside_option = FALSE, use_asc = TRUE,
control = list(print_level = 0L)
)
mc <- monte_carlo(sim_fun, fit_fun, R = 50L, seed = 1L, progress = FALSE)
mc_asymptotics(mc)

```

---

mnl\_diversion\_ratios\_parallel

*Compute MNL diversion ratios (parallelized over individuals)*

---

### Description

Computes the diversion ratio matrix  $DR(j \rightarrow k)$ , which measures the fraction of demand lost by alternative  $j$  that is captured by alternative  $k$ . For MNL:  $DR(j \rightarrow k) = \frac{\sum_n (w_n * P_{nj} * P_{nk})}{\sum_n (w_n * P_{nj} * (1 - P_{nj}))}$

### Usage

```

mnl_diversion_ratios_parallel(
  theta,
  X,
  alt_idx,
  M,
  weights,
  use_asc = TRUE,
  include_outside_option = FALSE
)

```

### Arguments

theta	K + J - 1 or K + J vector with model parameters
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing
M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
use_asc	whether to use alternative-specific constants
include_outside_option	whether to include outside option

### Value

J x J matrix where entry  $(k, j) = DR(j \rightarrow k)$ . Diagonal is 0.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
dr <- mnl_diversion_ratios_parallel(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$M, fit$data$weights)
dr

```

---

mnl\_elasticities\_parallel

*Compute aggregate elasticities for MNL model*

---

**Description**

Computes the aggregate elasticity matrix (weighted average of individual elasticities) for the Multinomial Logit model.

**Usage**

```

mnl_elasticities_parallel(
  theta,
  X,
  alt_idx,
  choice_idx,
  M,
  weights,
  elast_var_idx,
  use_asc = TRUE,
  include_outside_option = FALSE
)

```

**Arguments**

theta	K + J - 1 or K + J vector with model parameters
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing
choice_idx	N x 1 vector (kept for API consistency, but not used)
M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
elast_var_idx	1-based index of the column in X for which to compute the elasticity

use\_asc            whether to use alternative-specific constants  
include\_outside\_option            whether to include outside option

**Value**

J x J matrix of aggregate elasticities

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
elas <- mnl_elasticities_parallel(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$choice_idx, fit$data$M, fit$data$weights, elast_var_idx = 1L)
elas
```

---

mnl\_loglik\_gradient\_parallel

*Log-likelihood and gradient for multinomial logit model*

---

**Description**

Computes the log-likelihood and its gradient for the Multinomial Logit model using OpenMP for parallelization. Allows for inclusion of alternative-specific constants, outside option, and observation weights.

**Usage**

```
mnl_loglik_gradient_parallel(
  theta,
  X,
  alt_idx,
  choice_idx,
  M,
  weights,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	K + J - 1 or K + J vector with model parameters
X	sum(M) x K design matrix with covariates. Stacks M[i] x K matrices for individual i.
alt_idx	sum(M) x 1 vector with indices of alternatives within each choice set; 1-based indexing
choice_idx	N x 1 vector with indices of chosen alternatives; 1-based indexing relative to X; 0 is used if include_outside_option=True
M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
use_asc	whether to use alternative-specific constants
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

**Value**

List with loglikelihood and gradient evaluated at input arguments

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_mnl_data(dt, "id", "alt", "choice", c("x1", "x2"))
theta <- rep(0, ncol(d$X) + nrow(d$alt_mapping) - 1)
result <- mnl_loglik_gradient_parallel(theta, d$X, d$alt_idx,
  d$choice_idx, d$M, d$weights)
result$objective # negative log-likelihood
```

---

mnl\_loglik\_hessian\_parallel

*Hessian matrix for multinomial logit model*

---

**Description**

Hessian matrix for multinomial logit model

**Usage**

```
mnl_loglik_hessian_parallel(
  theta,
  X,
  alt_idx,
  choice_idx,
  M,
  weights,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	K + J - 1 or K + J vector with model parameters
X	sum(M) x K design matrix with covariates. Stacks M[i] x K matrices for individual i.
alt_idx	sum(M) x 1 vector with indices of alternatives within each choice set; 1-based indexing
choice_idx	N x 1 vector with indices of chosen alternatives; 1-based indexing relative to X; 0 is used if include_outside_option=True
M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
use_asc	whether to use alternative-specific constants
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

**Value**

Hessian matrix of the negative log-likelihood

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
H <- mnl_loglik_hessian_parallel(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$choice_idx, fit$data$M, fit$data$weights)
dim(H)
```

---

mnl_predict	<i>Prediction of choice probabilities and utilities based on fitted model</i>
-------------	---

---

**Description**

Prediction of choice probabilities and utilities based on fitted model

**Usage**

```
mnl_predict(
  theta,
  X,
  alt_idx,
  M,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	K + J - 1 or K + J vector with model parameters
X	sum(M) x K design matrix with covariates. Stacks M[i] x K matrices for individual i.
alt_idx	sum(M) x 1 vector with indices of alternatives within each choice set; 1-based indexing
M	N x 1 vector with number of alternatives for each individual
use_asc	whether to use alternative-specific constants
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

**Value**

List with choice probability and utility for each choice situation evaluated at input arguments

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
pred <- mnl_predict(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$M, use_asc = TRUE)
```

```
head(pred$choice_prob)
```

---

mnl\_predict\_shares      *Prediction of market shares based on fitted model*

---

### Description

Prediction of market shares based on fitted model

### Usage

```
mnl_predict_shares(
  theta,
  X,
  alt_idx,
  M,
  weights,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

### Arguments

theta	K + J - 1 or K + J vector with model parameters
X	sum(M) x K design matrix with covariates. Stacks M[i] x K matrices for individual i.
alt_idx	sum(M) x 1 vector with indices of alternatives within each choice set; 1-based indexing
M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
use_asc	whether to use alternative-specific constants
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

### Value

vector with predicted market shares for each alternative

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
shares <- mnl_predict_shares(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$M, fit$data$weights, use_asc = TRUE)
shares

```

---

monte\_carlo

*Monte Carlo parameter recovery*


---

**Description**

Replicates a (DGP → fit) cycle  $R$  times with independent seeds and collects per-parameter estimates, standard errors, bias, and coverage. Returns a `choicer_mc` object; call `summary()` for aggregated statistics (mean estimate, bias, RMSE, coverage rate, convergence rate).

**Usage**

```

monte_carlo(
  sim_fun,
  fit_fun,
  R = 100,
  seed = 1L,
  parallel = FALSE,
  progress = TRUE,
  ...
)

```

**Arguments**

<code>sim_fun</code>	Function of seed returning a <code>choicer_sim</code> .
<code>fit_fun</code>	Function of a <code>choicer_sim</code> returning a <code>choicer_fit</code> .
<code>R</code>	Number of replications.
<code>seed</code>	Base integer seed. Replication $r$ uses $seed + r - 1L$ .
<code>parallel</code>	Logical; if <code>TRUE</code> and <code>future.apply</code> is available, run replications in parallel using the user's active <code>future::plan()</code> .
<code>progress</code>	Logical; print a one-line progress update per iteration in serial mode. Ignored when <code>parallel = TRUE</code> .
<code>...</code>	Unused.

**Details**

Each iteration calls `sim_fun(seed = seed + r - 1L)`, then `fit_fun(sim)`. Write `sim_fun` as a closure that captures `N`, `J`, and other DGP settings and forwards `seed`. Write `fit_fun` as a closure that takes a `choicer_sim` and returns a fitted `choicer_fit` object, wrapping any data-preparation, draws, or optimizer-control setup.

**Value**

A `choicer_mc` object: a list with elements `replications` (a long `data.table` with one row per estimated parameter per replication) and `meta` (run metadata).

**Examples**

```
sim_fun <- function(seed) simulate_mnl_data(N = 1000, J = 4, seed = seed)
fit_fun <- function(sim) run_mnlogit(
  data = sim$data, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = c("x1", "x2"), outside_opt_label = 0L,
  include_outside_option = FALSE, use_asc = TRUE,
  control = list(print_level = 0L)
)
mc <- monte_carlo(sim_fun, fit_fun, R = 5, seed = 1L, progress = FALSE)
summary(mc)
```

---

mxl_bhhh_parallel	<i>BHHH (outer product of gradients) information matrix for Mixed Logit</i>
-------------------	---

---

**Description**

Computes the BHHH approximation to the observed information matrix for the Mixed Logit model:  $H_{BHHH} = \sum_i w_i \cdot s_i s_i^\top$ , where  $s_i$  is the per-individual score (gradient of  $\log \bar{P}_i$ ). This outer product of gradients (OPG) estimator provides an alternative to the analytical Hessian for standard error computation that scales to large problems where the analytical Hessian is infeasible (e.g., many alternatives or simulation draws).

**Usage**

```
mxl_bhhh_parallel(
  theta,
  X,
  W,
  alt_idx,
  choice_idx,
  M,
  weights,
  eta_draws,
  rc_dist,
```

```

    rc_correlation = TRUE,
    rc_mean = FALSE,
    use_asc = TRUE,
    include_outside_option = FALSE
  )

```

### Arguments

theta	vector collecting model parameters (beta, mu, L, delta (ASCs))
X	design matrix for covariates with fixed coefficients; $\text{sum}(M_i) \times K_x$
W	design matrix for covariates with random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
alt_idx	$\text{sum}(M)$ x 1 vector with indices of alternatives within each choice set; 1-based indexing
choice_idx	$N \times 1$ vector with indices of chosen alternatives; 1-based indexing relative to X; 0 is used if include_outside_option=True
M	$N \times 1$ vector with number of alternatives for each individual
weights	$N \times 1$ vector with weights for each observation
eta_draws	Array with choice situation draws; $K_w \times S \times N$
rc_dist	$K_w \times 1$ integer vector indicating distribution of random coefficients: 0 = normal, 1 = log-normal
rc_correlation	whether random coefficients should be correlated
rc_mean	whether to estimate means for random coefficients.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

### Value

$n\_params \times n\_params$  PSD matrix representing the observed information matrix estimated by the outer product of gradients (same sign convention as the negated Hessian returned by `mxl_hessian_parallel`, so it can be inverted directly to obtain `vcov`).

### Note

The BHHH/OPG estimator is only asymptotically equivalent to the Hessian-based information matrix at the true MLE. In finite samples it can underestimate standard errors, particularly when the model is mis-specified or away from the optimum.

### Examples

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))

```

```

dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_mx1_data(dt, "id", "alt", "choice", "x1", "w1")
eta <- get_halton_normals(50, d$N, ncol(d$W))
theta <- rep(0, ncol(d$X) + ncol(d$W) + nrow(d$alt_mapping) - 1)
H <- mxl_bhhh_parallel(theta, d$X, d$W, d$alt_idx, d$choice_idx,
  d$M, d$weights, eta, rc_dist = rep(0L, ncol(d$W)),
  rc_correlation = FALSE, rc_mean = FALSE)
dim(H)

```

---

mxl\_blp\_contraction    *BLP contraction mapping for mixed logit*

---

## Description

Finds the ASC (delta) parameters such that predicted market shares match target shares, using the contraction mapping of Berry, Levinsohn, and Pakes (1995).

## Usage

```

mxl_blp_contraction(
  delta,
  target_shares,
  X,
  W,
  beta,
  mu,
  L_params,
  alt_idx,
  M,
  weights,
  eta_draws,
  rc_dist,
  rc_correlation = TRUE,
  rc_mean = FALSE,
  include_outside_option = FALSE,
  tol = 1e-08,
  max_iter = 1000L
)

```

## Arguments

delta	J-1 or J vector with initial guess for deltas (ASCs)
target_shares	J vector with target market shares
X	design matrix for fixed coefficients; sum(M_i) x K_x

W	design matrix for random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
beta	$K_x$ vector with fixed coefficients
mu	$K_w$ vector with mean parameters (raw, will be transformed if log-normal)
L_params	Cholesky parameters vector
alt_idx	$\text{sum}(M) \times 1$ vector with indices of alternatives; 1-based indexing
M	$N \times 1$ vector with number of alternatives for each individual
weights	$N \times 1$ vector with weights for each observation
eta_draws	Array with draws; $K_w \times S \times N$
rc_dist	$K_w$ vector indicating distribution (0=normal, 1=log-normal)
rc_correlation	whether random coefficients are correlated
rc_mean	whether mu parameters represent means (TRUE) or are zero (FALSE)
include_outside_option	whether outside option is included
tol	convergence tolerance (default 1e-8)
max_iter	maximum iterations (default 1000)

## Value

vector with converged delta (ASC) values

## Examples

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_mxl_data(dt, "id", "alt", "choice", "x1", "w1")
eta <- get_halton_normals(50, d$N, ncol(d$W))
fit <- run_mxlogit(input_data = d, eta_draws = eta)
pm <- fit$param_map
delta <- mxl_blp_contraction(rep(0, J), rep(1/J, J), d$X, d$W,
  coef(fit)[pm$beta], rep(0, ncol(d$W)), coef(fit)[pm$sigma],
  d$alt_idx, d$M, d$weights, eta, rc_dist = rep(0L, ncol(d$W)),
  rc_correlation = FALSE, rc_mean = FALSE)
delta
```

---

 mxl\_diversion\_ratios\_parallel

*Diversion ratios for Mixed Logit (simulated, derivative-based)*


---

### Description

Computes the matrix of attribute-based diversion ratios for a fitted Mixed Logit model.  $DR(k, j)$  is the fraction of demand lost by alternative  $j$  that is captured by alternative  $k$  when a marginal change in alternative  $j$ 's `elast_var` attribute reduces  $s_j$ .

### Usage

```
mxl_diversion_ratios_parallel(  
  theta,  
  X,  
  W,  
  alt_idx,  
  M,  
  weights,  
  eta_draws,  
  rc_dist,  
  elast_var_idx,  
  is_random_coef,  
  rc_correlation = TRUE,  
  rc_mean = FALSE,  
  use_asc = TRUE,  
  include_outside_option = FALSE  
)
```

### Arguments

<code>theta</code>	parameter vector (beta, [mu], L, delta)
<code>X</code>	design matrix for fixed coefficients; $\text{sum}(M_i) \times K_x$
<code>W</code>	design matrix for random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
<code>alt_idx</code>	$\text{sum}(M)$ x 1 vector with indices of alternatives; 1-based indexing
<code>M</code>	$N \times 1$ vector with number of alternatives for each individual
<code>weights</code>	$N \times 1$ vector with weights for each observation
<code>eta_draws</code>	Array with draws; $K_w \times S \times N$
<code>rc_dist</code>	$K_w$ vector indicating distribution (0=normal, 1=log-normal)
<code>elast_var_idx</code>	1-based index of the perturbed variable
<code>is_random_coef</code>	TRUE if the variable is in W (random coef), FALSE if in X (fixed)
<code>rc_correlation</code>	whether random coefficients are correlated
<code>rc_mean</code>	whether mu parameters are estimated
<code>use_asc</code>	whether ASCs are included
<code>include_outside_option</code>	whether outside option is included

**Details**

In MNL the per-draw realized coefficient is a constant, so it cancels in the ratio and the result is independent of the variable chosen. In MXL, the realized coefficient  $\beta_{ik}^s$  varies across individuals and draws, so the diversion ratio depends on which attribute is perturbed. For a variable with a fixed coefficient the dependence again vanishes (the constant cancels); for a random-coefficient variable it does not.

**Value**

J x J (or (J+1) x (J+1)) matrix of diversion ratios with zero diagonal.

---

```
mxl_elasticities_parallel
```

*Compute aggregate elasticities for mixed logit model*

---

**Description**

Computes the aggregate elasticity matrix (weighted average of individual elasticities) for the Mixed Logit model. The elasticity E(i,j) represents the percentage change in the probability of choosing alternative i when the attribute of alternative j changes by 1%.

**Usage**

```
mxl_elasticities_parallel(  
  theta,  
  X,  
  W,  
  alt_idx,  
  choice_idx,  
  M,  
  weights,  
  eta_draws,  
  rc_dist,  
  elast_var_idx,  
  is_random_coef,  
  rc_correlation = TRUE,  
  rc_mean = FALSE,  
  use_asc = TRUE,  
  include_outside_option = FALSE  
)
```

**Arguments**

theta	parameter vector (beta, [mu], L, delta)
X	design matrix for fixed coefficients; sum(M_i) x K_x
W	design matrix for random coefficients; sum(M_i) x K_w or J x K_w

alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing
choice_idx	N x 1 vector (kept for API consistency, not used)
M	N x 1 vector with number of alternatives for each individual
weights	N x 1 vector with weights for each observation
eta_draws	Array with draws; K_w x S x N
rc_dist	K_w vector indicating distribution (0=normal, 1=log-normal)
elast_var_idx	1-based index of the variable for elasticity computation
is_random_coef	TRUE if variable is in W (random coef), FALSE if in X (fixed coef)
rc_correlation	whether random coefficients are correlated
rc_mean	whether mu parameters are estimated
use_asc	whether ASCs are included
include_outside_option	whether outside option is included

**Value**

J x J matrix of aggregate elasticities

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_mxl_data(dt, "id", "alt", "choice", "x1", "w1")
eta <- get_halton_normals(50, d$N, ncol(d$W))
fit <- run_mxlogit(input_data = d, eta_draws = eta)
elas <- mxl_elasticities_parallel(coef(fit), d$X, d$W, d$alt_idx,
  d$choice_idx, d$M, d$weights, eta, rc_dist = rep(0L, ncol(d$W)),
  elast_var_idx = 1L, is_random_coef = FALSE,
  rc_correlation = FALSE, rc_mean = FALSE)
elas
```

---

mxl\_hessian\_parallel *Analytical Hessian of the log-likelihood v2*

---

**Description**

Computes the Hessian of the log-likelihood for the Mixed Logit model using OpenMP for parallelization. Mirrors the parameters of mxl\_loglik\_gradient\_parallel.

**Usage**

```

mxl_hessian_parallel(
  theta,
  X,
  W,
  alt_idx,
  choice_idx,
  M,
  weights,
  eta_draws,
  rc_dist,
  rc_correlation = TRUE,
  rc_mean = FALSE,
  use_asc = TRUE,
  include_outside_option = FALSE
)

```

**Arguments**

theta	vector collecting model parameters (beta, mu, L, delta (ASCs))
X	design matrix for covariates with fixed coefficients; $\text{sum}(M_i) \times K_x$
W	design matrix for covariates with random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
alt_idx	$\text{sum}(M) \times 1$ vector with indices of alternatives within each choice set; 1-based indexing
choice_idx	$N \times 1$ vector with indices of chosen alternatives; 1-based indexing relative to X; 0 is used if <code>include_outside_option=True</code>
M	$N \times 1$ vector with number of alternatives for each individual
weights	$N \times 1$ vector with weights for each observation
eta_draws	Array with choice situation draws; $K_w \times S \times N$
rc_dist	$K_w \times 1$ integer vector indicating distribution of random coefficients: 0 = normal, 1 = log-normal
rc_correlation	whether random coefficients should be correlated
rc_mean	whether to estimate means for random coefficients.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

**Value**

Hessian evaluated at input arguments

**Note**

For log-normal random coefficients (`rc_dist=1`) with `rc_mean=TRUE`, the distribution is a shifted log-normal:  $\beta_k = \exp(\mu_k) + \exp(L_k * \eta)$ , where  $\exp(\mu_k)$  shifts the location and  $\exp(L_k * \eta) \sim \text{LogNormal}(0, \sigma_k^2)$ . This differs from the textbook parameterization  $\exp(\mu_k + L_k * \eta)$ .

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_mx1_data(dt, "id", "alt", "choice", "x1", "w1")
eta <- get_halton_normals(50, d$N, ncol(d$W))
theta <- rep(0, ncol(d$X) + ncol(d$W) + nrow(d$alt_mapping) - 1)
H <- mxl_hessian_parallel(theta, d$X, d$W, d$alt_idx, d$choice_idx,
  d$M, d$weights, eta, rc_dist = rep(0L, ncol(d$W)),
  rc_correlation = FALSE, rc_mean = FALSE)
dim(H)
```

---

```
mxl_loglik_gradient_parallel
```

*Log-likelihood and gradient for Mixed Logit*

---

**Description**

Computes the log-likelihood and its gradient for the Mixed Logit model using OpenMP for parallelization. Allows for inclusion of alternative-specific constants, outside option, observation weights, correlated random coefficients.

**Usage**

```
mxl_loglik_gradient_parallel(
  theta,
  X,
  W,
  alt_idx,
  choice_idx,
  M,
  weights,
  eta_draws,
  rc_dist,
  rc_correlation = TRUE,
  rc_mean = FALSE,
```

```

    use_asc = TRUE,
    include_outside_option = FALSE
  )

```

### Arguments

theta	vector collecting model parameters (beta, mu, L, delta (ASCs))
X	design matrix for covariates with fixed coefficients; $\text{sum}(M_i) \times K_x$
W	design matrix for covariates with random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
alt_idx	$\text{sum}(M)$ x 1 vector with indices of alternatives within each choice set; 1-based indexing
choice_idx	$N \times 1$ vector with indices of chosen alternatives; 1-based indexing relative to X; 0 is used if include_outside_option=True
M	$N \times 1$ vector with number of alternatives for each individual
weights	$N \times 1$ vector with weights for each observation
eta_draws	Array with choice situation draws; $K_w \times S \times N$
rc_dist	$K_w \times 1$ integer vector indicating distribution of random coefficients: 0 = normal, 1 = log-normal
rc_correlation	whether random coefficients should be correlated
rc_mean	whether to estimate means for random coefficients. If so, mean parameters (mu) should be included in theta after beta parameters.
use_asc	whether to use alternative-specific constants. If so, parameters should be included in theta after beta and L (and mu, if applicable).
include_outside_option	whether to include outside option normalized to 0 (if so, the outside option is not included in the data)

### Value

List with loglikelihood and gradient evaluated at input arguments

### Note

For log-normal random coefficients (rc\_dist=1) with rc\_mean=TRUE, the distribution is a shifted log-normal:  $\beta_k = \exp(\mu_k) + \exp(L_k * \eta)$ , where  $\exp(\mu_k)$  shifts the location and  $\exp(L_k * \eta) \sim \text{LogNormal}(0, \sigma_k^2)$ . This differs from the textbook parameterization  $\exp(\mu_k + L_k * \eta)$ .

### Examples

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]

```

```

dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_mxl_data(dt, "id", "alt", "choice", "x1", "w1")
eta <- get_halton_normals(50, d$N, ncol(d$W))
K_x <- ncol(d$X); K_w <- ncol(d$W); J <- nrow(d$alt_mapping)
theta <- rep(0, K_x + K_w + J - 1)
result <- mxl_loglik_gradient_parallel(theta, d$X, d$W, d$alt_idx,
  d$choice_idx, d$M, d$weights, eta, rc_dist = rep(0L, K_w),
  rc_correlation = FALSE, rc_mean = FALSE)
result$objective

```

---

mxl\_predict

*Per-observation simulated choice probabilities for Mixed Logit*


---

### Description

Returns the simulated choice probability for each (individual, alternative) row of X, averaged over the supplied Halton draws. Mirrors `mnl_predict`.

### Usage

```

mxl_predict(
  theta,
  X,
  W,
  alt_idx,
  M,
  eta_draws,
  rc_dist,
  rc_correlation = TRUE,
  rc_mean = FALSE,
  use_asc = TRUE,
  include_outside_option = FALSE
)

```

### Arguments

<code>theta</code>	parameter vector (beta, [mu], L, delta)
<code>X</code>	design matrix for fixed coefficients; $\text{sum}(M_i) \times K_x$
<code>W</code>	design matrix for random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
<code>alt_idx</code>	$\text{sum}(M) \times 1$ vector with indices of alternatives; 1-based indexing
<code>M</code>	$N \times 1$ vector with number of alternatives for each individual
<code>eta_draws</code>	Array with draws; $K_w \times S \times N$
<code>rc_dist</code>	$K_w$ vector indicating distribution (0=normal, 1=log-normal)
<code>rc_correlation</code>	whether random coefficients are correlated

rc_mean	whether mu parameters are estimated
use_asc	whether ASCs are included
include_outside_option	whether the outside option is present

**Value**

List with choice\_prob (length sum(M)), utility (length sum(M), simulated mean of the deterministic +  $W \cdot \gamma$  component), and, when include\_outside\_option = TRUE, choice\_prob\_outside (length N).

---

mxl_predict_shares	<i>Predicted aggregate market shares for Mixed Logit</i>
--------------------	--

---

**Description**

Exported wrapper around the internal mxl\_predict\_shares\_internal. Parses theta using the standard parameter ordering and returns the simulated weighted-average market shares.

**Usage**

```
mxl_predict_shares(
  theta,
  X,
  W,
  alt_idx,
  M,
  weights,
  eta_draws,
  rc_dist,
  rc_correlation = TRUE,
  rc_mean = FALSE,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	parameter vector (beta, [mu], L, delta)
X	design matrix for fixed coefficients; $\text{sum}(M_i) \times K_x$
W	design matrix for random coefficients; $\text{sum}(M_i) \times K_w$ or $J \times K_w$
alt_idx	$\text{sum}(M) \times 1$ vector with indices of alternatives; 1-based indexing
M	$N \times 1$ vector with number of alternatives for each individual
weights	$N \times 1$ vector with weights for each observation
eta_draws	Array with draws; $K_w \times S \times N$

rc_dist	K_w vector indicating distribution (0=normal, 1=log-normal)
rc_correlation	whether random coefficients are correlated
rc_mean	whether mu parameters are estimated
use_asc	whether ASCs are included
include_outside_option	whether outside option is included

**Value**

Vector of length J (or J+1 with outside option) of predicted shares.

---

new_choicer_sim	<i>Construct a choicer_sim object</i>
-----------------	---------------------------------------

---

**Description**

Wraps simulated data, true parameter values, and DGP settings into a classed list. Returned by [simulate\\_mnl\\_data\(\)](#), [simulate\\_mx1\\_data\(\)](#), and [simulate\\_nl\\_data\(\)](#), and consumed by [recovery\\_table\(\)](#).

**Usage**

```
new_choicer_sim(data, true_params, settings, model)
```

**Arguments**

data	A data.table of simulated choice observations.
true_params	Named list of true DGP parameters (e.g. beta, delta, Sigma, mu, lambdas).
settings	Named list of DGP settings (e.g. N, J, K_x).
model	Character scalar: "mnl", "mx1", or "nl".

**Value**

A list of class choicer\_sim.

---

nl\_blp\_contraction      *BLP95 contraction mapping for the Nested Logit model*


---

### Description

Damped iterative fixed point recovering delta given target shares, using the NL probability structure. damping = 1 reproduces the plain BLP update.

### Usage

```
nl_blp_contraction(
  delta,
  target_shares,
  X,
  beta,
  lambda,
  alt_idx,
  nest_idx,
  M,
  weights,
  include_outside_option = FALSE,
  damping = 1,
  tol = 1e-08,
  max_iter = 1000L
)
```

### Arguments

delta	J x 1 vector with initial guess for deltas (ASCs).
target_shares	vector with target shares (outside-option share first when present).
X	sum(M) x K design matrix with covariates.
beta	K x 1 vector with fixed coefficients.
lambda	full nest dissimilarity vector of length n_nests (singletons = 1).
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing.
nest_idx	J x 1 vector with nest indices for each alternative; 1-based indexing.
M	N x 1 vector with number of alternatives for each individual.
weights	N x 1 vector with weights for each observation.
include_outside_option	whether to include outside option normalized to V=0, lambda=1.
damping	damping factor for the update (default 1.0 = plain BLP).
tol	convergence tolerance.
max_iter	maximum number of iterations.

**Value**

vector with contraction's delta (ASCs) output.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
beta <- coef(fit)[fit$param_map$beta]
lambda <- rep(1, length(unique(fit$data$nest_idx)))
lambda[as.integer(names(which(table(fit$data$nest_idx) > 1)))] <-
  coef(fit)[fit$param_map$lambda]
delta <- nl_blp_contraction(rep(0, J), rep(1/J, J), fit$data$X, beta, lambda,
  fit$data$alt_idx, fit$data$nest_idx, fit$data$M, fit$data$weights)
delta
```

---

nl\_diversion\_ratios\_parallel

*Compute Nested Logit diversion ratios (parallelized over individuals)*

---

**Description**

Computes the diversion ratio matrix  $DR(j \rightarrow k)$  for the Nested Logit model. Entry  $(k, j)$  = fraction of demand lost by alternative  $j$  captured by  $k$ . Reduces to the MNL diversion ratios when all  $\lambda = 1$ .

**Usage**

```
nl_diversion_ratios_parallel(
  theta,
  X,
  alt_idx,
  nest_idx,
  M,
  weights,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	(K + n_non_singleton_nests + n_delta) vector with model parameters. Order: [beta (K), lambda (non-singleton), delta].
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing.
nest_idx	J x 1 vector with nest indices for each alternative; 1-based indexing.
M	N x 1 vector with number of alternatives for each individual.
weights	N x 1 vector with weights for each observation.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to V=0, lambda=1.

**Value**

J x J matrix where entry (k, j) = DR(j->k). Diagonal is 0.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
dr <- nl_diversion_ratios_parallel(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$nest_idx, fit$data$M, fit$data$weights)
dr
```

---

nl\_elasticities\_parallel

*Compute aggregate elasticities for the Nested Logit model*

---

**Description**

Computes the aggregate (weighted-average) elasticity matrix for the Nested Logit model. Reduces to the MNL elasticities when all lambda = 1.

**Usage**

```
nl_elasticities_parallel(
  theta,
  X,
  alt_idx,
  choice_idx,
  nest_idx,
  M,
  weights,
  elast_var_idx,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	(K + n_non_singleton_nests + n_delta) vector with model parameters. Order: [beta (K), lambda (non-singleton), delta].
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing.
choice_idx	N x 1 vector (kept for API consistency, not used).
nest_idx	J x 1 vector with nest indices for each alternative; 1-based indexing.
M	N x 1 vector with number of alternatives for each individual.
weights	N x 1 vector with weights for each observation.
elast_var_idx	1-based index of the column in X for which to compute the elasticity.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to V=0, lambda=1.

**Value**

J x J matrix of aggregate elasticities (row = responding alt, col = perturbed alt).

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
elas <- nl_elasticities_parallel(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$choice_idx, fit$data$nest_idx, fit$data$M, fit$data$weights,
  elast_var_idx = 1L)
```

```
elas
```

---

```
nl_loglik_gradient_parallel
```

*Log-likelihood and gradient for Nested Logit model*

---

### Description

Computes the log-likelihood and its gradient for the Nested Logit model using OpenMP for parallelization. Especially handles singleton nests by fixing their lambda parameters to 1. Only non-singleton nests have a inclusive value coefficient estimated in theta.

### Usage

```
nl_loglik_gradient_parallel(  
  theta,  
  X,  
  alt_idx,  
  choice_idx,  
  nest_idx,  
  M,  
  weights,  
  use_asc = TRUE,  
  include_outside_option = FALSE  
)
```

### Arguments

theta	(K + n_non_singleton_nests + n_delta) vector with model parameters. Order: [beta (K), lambda (n_non_singleton_nests), delta (n_delta)]
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing.
choice_idx	N x 1 vector with indices of chosen alternatives; 0 for outside option, 1-based index relative to rows in X_i otherwise.
nest_idx	J x 1 vector with indices of nests for each alternative; 1-based indexing (1 to n_nests).
M	N x 1 vector with number of alternatives for each individual.
weights	N x 1 vector with weights for each observation.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to V=0, lambda=1.

### Value

List with loglikelihood and gradient evaluated at input arguments

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_nl_data(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
K_x <- ncol(d$X); K_l <- length(unique(d$nest_idx))
theta <- c(rep(0, K_x), rep(0.5, K_l), rep(0, J - 1))
result <- nl_loglik_gradient_parallel(theta, d$X, d$alt_idx,
  d$choice_idx, d$nest_idx, d$M, d$weights)
result$objective

```

---

nl\_loglik\_numeric\_hessian

*Numerical Hessian of the log-likelihood via finite differences*


---

**Description**

Numerical Hessian of the log-likelihood via finite differences

**Usage**

```

nl_loglik_numeric_hessian(
  theta,
  X,
  alt_idx,
  choice_idx,
  nest_idx,
  M,
  weights,
  use_asc = TRUE,
  include_outside_option = FALSE,
  eps = 1e-06
)

```

**Arguments**

theta	(K + n_delta + n_nests) vector with model parameters. Order: [beta (K), delta (n_delta), lambda (n_lambda)]
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing.
choice_idx	N x 1 vector with indices of chosen alternatives; 0 for outside option, 1-based index relative to rows in X_i otherwise.

nest_idx	J x 1 vector with indices of nests for each alternative; 1-based indexing (1 to n_nests).
M	N x 1 vector with number of alternatives for each individual.
weights	N x 1 vector with weights for each observation.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to V=0, lambda=1.
eps	finite difference step size

**Value**

Hessian evaluated at input arguments

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
d <- prepare_nl_data(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
K_x <- ncol(d[X]); K_l <- length(unique(d[nest_idx]))
theta <- c(rep(0, K_x), rep(0.5, K_l), rep(0, J - 1))
H <- nl_loglik_numeric_hessian(theta, d[X], d[alt_idx], d[choice_idx],
  d[nest_idx], d[M], d[weights])
dim(H)
```

---

nl_predict	<i>Prediction of choice probabilities and utilities for the Nested Logit model</i>
------------	--

---

**Description**

Prediction of choice probabilities and utilities for the Nested Logit model

**Usage**

```
nl_predict(
  theta,
  X,
  alt_idx,
  M,
  nest_idx,
```

```

    use_asc = TRUE,
    include_outside_option = FALSE
  )

```

### Arguments

**theta** (K + n\_non\_singleton\_nests + n\_delta) vector with model parameters. Order: [beta (K), lambda (non-singleton), delta].

**X** sum(M) x K design matrix with covariates.

**alt\_idx** sum(M) x 1 vector with indices of alternatives; 1-based indexing.

**M** N x 1 vector with number of alternatives for each individual.

**nest\_idx** J x 1 vector with nest indices for each alternative; 1-based indexing.

**use\_asc** whether to use alternative-specific constants.

**include\_outside\_option** whether to include outside option normalized to V=0, lambda=1.

### Value

List with choice\_prob (joint P<sub>ij</sub> per stacked row) and utility (V<sub>ij</sub>).

### Examples

```

library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
pred <- nl_predict(coef(fit), fit$data$X, fit$data$alt_idx, fit$data$M,
  fit$data$nest_idx, use_asc = TRUE)
head(pred$choice_prob)

```

---

nl\_predict\_shares

*Prediction of market shares for the Nested Logit model*


---

### Description

Prediction of market shares for the Nested Logit model

**Usage**

```
nl_predict_shares(
  theta,
  X,
  alt_idx,
  M,
  weights,
  nest_idx,
  use_asc = TRUE,
  include_outside_option = FALSE
)
```

**Arguments**

theta	(K + n_non_singleton_nests + n_delta) vector with model parameters. Order: [beta (K), lambda (non-singleton), delta].
X	sum(M) x K design matrix with covariates.
alt_idx	sum(M) x 1 vector with indices of alternatives; 1-based indexing.
M	N x 1 vector with number of alternatives for each individual.
weights	N x 1 vector with weights for each observation.
nest_idx	J x 1 vector with nest indices for each alternative; 1-based indexing.
use_asc	whether to use alternative-specific constants.
include_outside_option	whether to include outside option normalized to V=0, lambda=1.

**Value**

vector with predicted market shares (outside-option share first when present).

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
shares <- nl_predict_shares(coef(fit), fit$data$X, fit$data$alt_idx,
  fit$data$M, fit$data$weights, fit$data$nest_idx, use_asc = TRUE)
shares
```

---

nobs.choicer_fit	<i>Extract number of observations from a choicer_fit object</i>
------------------	---

---

**Description**

Extract number of observations from a choicer\_fit object

**Usage**

```
## S3 method for class 'choicer_fit'
nobs(object, ...)
```

**Arguments**

object	A choicer_fit object.
...	Additional arguments (ignored).

**Value**

Integer number of choice situations.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
nobs(fit)
```

---

predict.choicer_mnl	<i>Predict from a multinomial logit model</i>
---------------------	---

---

**Description**

Computes choice probabilities or aggregate market shares.

**Usage**

```
## S3 method for class 'choicer_mnl'
predict(object, type = c("probabilities", "shares"), ...)
```

**Arguments**

object	A choicer_mnl object.
type	One of "probabilities" (individual-level choice probabilities) or "shares" (aggregate market shares).
...	Additional arguments (ignored).

**Value**

For "probabilities": a list with choice\_prob and utility vectors. For "shares": a named numeric vector of market shares per alternative.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
predict(fit, type = "shares")
predict(fit, type = "probabilities")
```

---

predict.choicer\_mxl *Predict from a mixed logit model*

---

**Description**

Computes simulated choice probabilities or aggregate market shares using stored Halton draws.

**Usage**

```
## S3 method for class 'choicer_mxl'
predict(object, type = c("probabilities", "shares"), ...)
```

**Arguments**

object	A choicer_mxl object.
type	Either "probabilities" (per-observation simulated choice probabilities) or "shares" (aggregate simulated market shares).
...	Additional arguments (ignored).

**Value**

For "probabilities": a list with choice\_prob and utility vectors averaged across simulation draws.  
For "shares": a named numeric vector of simulated market shares per alternative.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = "w1", S = 50L
)
predict(fit, type = "shares")
predict(fit, type = "probabilities")

```

---

predict.choicer\_nl      *Predict from a nested logit model*

---

**Description**

Computes choice probabilities or aggregate market shares.

**Usage**

```

## S3 method for class 'choicer_nl'
predict(object, type = c("probabilities", "shares"), ...)

```

**Arguments**

object	A choicer_nl object.
type	One of "probabilities" (individual-level choice probabilities) or "shares" (aggregate market shares).
...	Additional arguments (ignored).

**Value**

For "probabilities": a list with choice\_prob and utility vectors. For "shares": a named numeric vector of market shares per alternative.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, nest := rep(c(1L, 1L, 2L, 2L), N)]
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]

```

```

dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
predict(fit, type = "shares")
predict(fit, type = "probabilities")

```

---

```

prepare_mnl_data      Prepare inputs for mnl_loglik_gradient_parallel()

```

---

### Description

Prepares and validates inputs for multinomial logit estimation routine.

### Usage

```

prepare_mnl_data(
  data,
  id_col,
  alt_col,
  choice_col,
  covariate_cols,
  weights = NULL,
  outside_opt_label = NULL,
  include_outside_option = FALSE
)

```

### Arguments

<code>data</code>	Data frame containing choice data.
<code>id_col</code>	Name of the column identifying choice situations (individuals).
<code>alt_col</code>	Name of the column identifying alternatives.
<code>choice_col</code>	Name of the column indicating chosen alternative (1 = chosen, 0 = not chosen).
<code>covariate_cols</code>	Vector of names of columns to be used as covariates.
<code>weights</code>	Optional vector of weights for each choice situation. If NULL, equal weights are used.
<code>outside_opt_label</code>	Label for the outside option (if any). If NULL, no outside option is assumed.
<code>include_outside_option</code>	Logical indicating whether to include an outside option in the model.

**Value**

A list containing:

- X: Design matrix (sum(M) x K).
- alt\_idx: Integer vector of alternative indices.
- choice\_idx: Integer vector of chosen alternative indices.
- M: Integer vector with number of alternatives per choice situation.
- N: Number of choice situations.
- weights: Vector of weights.
- include\_outside\_option: Logical flag.
- alt\_mapping: Data.table mapping alternatives to summary statistics.
- dropped\_cols: Names of columns dropped due to collinearity, if any.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
input <- prepare_mnl_data(dt, "id", "alt", "choice", c("x1", "x2"))
str(input$X)
input$alt_mapping
```

---

```
prepare_mxl_data      Prepare inputs for mxl_loglik_gradient_parallel()
```

---

**Description**

Prepares and validates inputs for mixed logit estimation routine.

**Usage**

```
prepare_mxl_data(
  data,
  id_col,
  alt_col,
  choice_col,
  covariate_cols,
  random_var_cols,
  weights = NULL,
  outside_opt_label = NULL,
  include_outside_option = FALSE,
  rc_correlation = FALSE,
  weights_col = NULL
)
```

**Arguments**

<code>data</code>	Data frame containing choice data
<code>id_col</code>	Name of the column identifying choice situations (individuals)
<code>alt_col</code>	Name of the column identifying alternatives
<code>choice_col</code>	Name of the column indicating chosen alternative (1 = chosen, 0 = not chosen)
<code>covariate_cols</code>	Vector of names of columns to be used as covariates
<code>random_var_cols</code>	Vector of names of columns to be used as random variables
<code>weights</code>	Optional vector of weights for each choice situation. If NULL, equal weights are used.
<code>outside_opt_label</code>	Label for the outside option (if any). If NULL, no outside option is assumed.
<code>include_outside_option</code>	Logical indicating whether to include an outside option in the model.
<code>rc_correlation</code>	Logical indicating whether random coefficients are correlated. Default is FALSE.
<code>weights_col</code>	Optional name of a column in data holding a per-row weight (constant within each choice situation). Mutually exclusive with <code>weights</code> .

**Value**

A `chooser_data_mxl` object (list) containing:

- `X`: Fixed-coefficient design matrix ( $\text{sum}(M) \times K_x$ ).
- `W`: Random-coefficient design matrix ( $\text{sum}(M) \times K_w$ ).
- `alt_idx`: Integer vector of alternative indices.
- `choice_idx`: Integer vector of chosen alternative indices.
- `M`: Integer vector with number of alternatives per choice situation.
- `N`: Number of choice situations.
- `weights`: Vector of weights.
- `include_outside_option`: Logical flag.
- `rc_correlation`: Logical flag.
- `alt_mapping`: `data.table` mapping alternatives to summary statistics.
- `dropped_cols`: Names of columns dropped due to collinearity, if any.
- `data_spec`: List with column-name metadata.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N), w2 = rnorm(.N))]
dt[, choice := 0L]
```

```
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
input <- prepare_mxl_data(dt, "id", "alt", "choice", "x1", c("w1", "w2"))
str(input$X)
str(input$W)
```

---

prepare_nl_data	<i>Prepare inputs for nested logit estimation</i>
-----------------	---

---

### Description

Validates inputs, builds design matrices, and constructs nest structure for nested logit estimation. Calls [prepare\\_mnl\\_data](#) internally for base data preparation, then adds nest-specific fields.

### Usage

```
prepare_nl_data(
  data,
  id_col,
  alt_col,
  choice_col,
  covariate_cols,
  nest_col,
  weights = NULL,
  outside_opt_label = NULL,
  include_outside_option = FALSE
)
```

### Arguments

<code>data</code>	Data frame containing choice data.
<code>id_col</code>	Name of the column identifying choice situations (individuals).
<code>alt_col</code>	Name of the column identifying alternatives.
<code>choice_col</code>	Name of the column indicating chosen alternative (1 = chosen, 0 = not chosen).
<code>covariate_cols</code>	Vector of names of columns to be used as covariates.
<code>nest_col</code>	Name of the column mapping each alternative to its nest. Every alternative must belong to exactly one nest.
<code>weights</code>	Optional vector of weights for each choice situation. If NULL, equal weights are used.
<code>outside_opt_label</code>	Label for the outside option (if any). If NULL, no outside option is assumed.
<code>include_outside_option</code>	Logical indicating whether to include an outside option in the model.

**Value**

A choicer\_data\_nl object (list) containing:

- All fields from `prepare_mnl_data` (`X`, `alt_idx`, `choice_idx`, `M`, `N`, `weights`, `include_outside_option`, `alt_mapping`, `dropped_cols`).
- `nest_idx`: Integer vector of length `J` mapping each alternative (in `alt_mapping` row order) to its nest.
- `data_spec`: List with column name metadata including `nest_col`.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
input <- prepare_nl_data(dt, "id", "alt", "choice", c("x1", "x2"), "nest")
input$nest_idx
input$alt_mapping
```

---

```
print.choicer_fit      Print a choicer_fit object
```

---

**Description**

Prints a brief summary of the fitted model.

**Usage**

```
## S3 method for class 'choicer_fit'
print(x, ...)
```

**Arguments**

`x`                    A choicer\_fit object.  
`...`                 Additional arguments (ignored).

**Value**

The object invisibly.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
print(fit)

```

---

```
print.summary.choicer_mnl
```

*Print summary for multinomial logit model*

---

**Description**

Print summary for multinomial logit model

**Usage**

```

## S3 method for class 'summary.choicer_mnl'
print(x, ...)

```

**Arguments**

`x`                    A `summary.choicer_mnl` object.  
`...`                 Additional arguments (ignored).

**Value**

The object invisibly.

**Examples**

```

library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
print(summary(fit))

```

---

```
print.summary.choicer_mxl
      Print summary for mixed logit model
```

---

**Description**

Print summary for mixed logit model

**Usage**

```
## S3 method for class 'summary.choicer_mxl'
print(x, ...)
```

**Arguments**

x                    A summary.choicer\_mxl object.  
...                   Additional arguments (ignored).

**Value**

The object invisibly.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = "w1", S = 50L
)
print(summary(fit))
```

---

```
print.summary.choicer_n1
      Print summary for nested logit model
```

---

**Description**

Print summary for nested logit model

**Usage**

```
## S3 method for class 'summary.choicer_nl'
print(x, ...)
```

**Arguments**

```
x          A summary.choicer_nl object.
...        Additional arguments (ignored).
```

**Value**

The object invisibly.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = c("x1", "x2"), nest_col = "nest"
)
print(summary(fit))
```

---

recovery\_table

*Parameter recovery table*

---

**Description**

Compares fitted coefficients to a set of true parameter values on the same scale as the estimator's internal parameterization. Returns one row per estimated parameter with true value, estimate, standard error, bias, relative bias (%), z-score against the truth, Wald CI, and a coverage indicator.

**Usage**

```
recovery_table(object, truth = NULL, level = 0.95, ...)
```

```
## S3 method for class 'choicer_fit'
recovery_table(object, truth = NULL, level = 0.95, ...)
```

```
## S3 method for class 'choicer_mc'
recovery_table(object, truth = NULL, level = 0.95, ...)
```

**Arguments**

object	A choicer_fit object (MNL, MXL, or NL) or a choicer_mc result.
truth	Either a choicer_sim object (whose \$true_params will be used) or a named list of true parameter values.
level	Confidence level for the Wald CI and coverage indicator. Default 0.95.
...	Unused.

**Details**

For MXL fits the sigma block compares the raw Cholesky parameters (L\_params), not the re-constructed covariance matrix. For log-normal random-coefficient means the raw mu estimate is compared directly; callers who want recovery on the DGP scale ( $\exp(\mu)$ ) should transform both sides before calling.

When the estimator has normalized the first inside alternative's ASC to zero (which happens for MNL/MXL with include\_outside\_option = FALSE and no outside option baked into the fit), the first entry of truth\$delta is dropped before the comparison so lengths match.

**Value**

See class-specific methods.

**Methods (by class)**

- `recovery_table(choicer_fit)`: Returns a `choicer_recovery` object (a `data.table`) with columns `parameter`, `group`, `true`, `estimate`, `se`, `bias`, `rel_bias_pct`, `z_vs_true`, `lower_ci`, `upper_ci`, `covers`.
- `recovery_table(choicer_mc)`: For a `choicer_mc` object, delegates to `summary(object, level)` and returns a `choicer_mc_summary`. Inspect `object$replications` directly for per-rep detail.

**Examples**

```
sim <- simulate_mnl_data(N = 2000, J = 4, seed = 123)
fit <- run_mnlogit(
  data = sim$data, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = c("x1", "x2"),
  outside_opt_label = 0L, include_outside_option = FALSE, use_asc = TRUE
)
recovery_table(fit, sim)
```

---

run_mnlogit	<i>Runs multinomial logit estimation</i>
-------------	--

---

## Description

Estimates a multinomial logit model via maximum likelihood.

## Usage

```
run_mnlogit(
  data = NULL,
  id_col = NULL,
  alt_col = NULL,
  choice_col = NULL,
  covariate_cols = NULL,
  input_data = NULL,
  optimizer = NULL,
  control = list(),
  weights = NULL,
  outside_opt_label = NULL,
  include_outside_option = FALSE,
  use_asc = TRUE,
  keep_data = TRUE,
  scale_vars = c("none", "sd", "mad", "iqr"),
  nloptr_opts = NULL
)
```

## Arguments

data	Data frame containing choice data (convenience workflow). Mutually exclusive with <code>input_data</code> .
id_col	Name of the column identifying choice situations (individuals).
alt_col	Name of the column identifying alternatives.
choice_col	Name of the column indicating chosen alternative (1 = chosen, 0 = not chosen).
covariate_cols	Vector of names of columns to be used as covariates.
input_data	List output from <code>prepare_mnl_data</code> (advanced workflow). Mutually exclusive with <code>data</code> .
optimizer	Optimizer to use: "nloptr" (default), "optim", or a custom function with signature <code>f(theta_init, eval_f, lower, upper, control)</code> where <code>eval_f(theta)</code> returns <code>list(objective, gradient)</code> . Must return a list with <code>par/value</code> (or <code>solution/objective</code> ). If the custom function accepts <code>control</code> or <code>...</code> , the <code>control</code> argument is forwarded; otherwise it is silently ignored.
control	List of optimizer-specific control parameters passed to the chosen optimizer (e.g., <code>list(maxeval = 2000)</code> for <code>nloptr</code> ).

weights	Optional vector of weights for each choice situation. If NULL, equal weights are used.
outside_opt_label	Label for the outside option (if any). If NULL, no outside option is assumed.
include_outside_option	Logical indicating whether to include an outside option in the model.
use_asc	Logical indicating whether to include alternative-specific constants (ASCs) in the model.
keep_data	Logical. If TRUE (default), stores prepared data in the returned object for predict() and post-estimation functions.
scale_vars	Pre-estimation column scaling for the design matrix. One of "none" (default), "sd" (sample standard deviation), "mad" (stats::mad), or "iqr" (stats::IQR(x) / 1.349). When not "none", every column of X is divided by the chosen scale before optimization to improve Hessian conditioning. Coefficients and standard errors are back-transformed to the user's natural units via the delta method, so reported quantities are invariant to this choice.
nloptr_opts	Deprecated. Use optimizer and control instead.

## Details

Two workflows are supported:

**Convenience (default)** Supply data and column names. Data preparation ([prepare\\_mnl\\_data](#)) is handled automatically.

**Advanced** Call [prepare\\_mnl\\_data](#) yourself and pass the result via input\_data.

## Value

A choicer\_mnl object (inherits from choicer\_fit). Standard S3 methods available: summary(), coef(), vcov(), logLik(), AIC(), BIC(), nobs(), predict().

## Examples

```
library(data.table)
set.seed(42)
N <- 100; J <- 3; beta_true <- c(1.0, -0.5)
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, V := drop(as.matrix(.SD) %*% beta_true), .SDcols = c("x1", "x2")]
dt[, prob := exp(V) / sum(exp(V)), by = id]
dt[, choice := as.integer(alt == sample(alt, 1, prob = prob)), by = id]

fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
summary(fit)
coef(fit)
AIC(fit)
predict(fit, type = "shares")
```

run\_mxlogit

*Runs mixed logit estimation***Description**

Estimates a mixed logit model via simulated maximum likelihood.

**Usage**

```
run_mxlogit(
  data = NULL,
  id_col = NULL,
  alt_col = NULL,
  choice_col = NULL,
  covariate_cols = NULL,
  random_var_cols = NULL,
  input_data = NULL,
  eta_draws = NULL,
  S = 100L,
  rc_dist = NULL,
  rc_mean = FALSE,
  rc_correlation = FALSE,
  use_asc = TRUE,
  theta_init = NULL,
  lower = NULL,
  upper = NULL,
  optimizer = NULL,
  control = list(),
  se_method = c("hessian", "bhhh", "sandwich"),
  scale_vars = c("none", "sd", "mad", "iqr"),
  weights = NULL,
  outside_opt_label = NULL,
  include_outside_option = FALSE,
  keep_data = TRUE,
  nloptr_opts = NULL,
  weights_col = NULL
)
```

**Arguments**

<code>data</code>	Data frame containing choice data (convenience workflow). Mutually exclusive with <code>input_data</code> .
<code>id_col</code>	Name of the column identifying choice situations.
<code>alt_col</code>	Name of the column identifying alternatives.
<code>choice_col</code>	Name of the column indicating chosen alternative (1/0).
<code>covariate_cols</code>	Vector of column names for fixed covariates.

random_var_cols	Vector of column names for random coefficients.
input_data	List output from <a href="#">prepare_mx1_data</a> (advanced workflow). Mutually exclusive with data.
eta_draws	Array of shape $K_w \times S \times N$ with standard normal draws. Required for the advanced workflow; auto-generated from S in the convenience workflow.
S	Integer number of Halton draws per individual (convenience workflow only). Default 100.
rc_dist	Integer vector indicating distribution of random coefficients (0 = normal, 1 = log-normal). Default: all normal.
rc_mean	Logical indicating whether to estimate means for random coefficients.
rc_correlation	Logical indicating whether random coefficients are correlated (convenience workflow). Ignored when input_data is used (taken from the prepared data).
use_asc	Logical indicating whether to include alternative-specific constants.
theta_init	Initial parameter vector in natural-scale units. If NULL, defaults to zeros for the $\beta$ , $\mu$ , and ASC blocks, and $\log(0.5)$ on the Cholesky diagonal (so each diagonal factor $L_{pp} = 0.5$ , i.e. a moderate random-coefficient variance of 0.25). The zero-on-diagonal alternative corresponds to $L_{pp} = 1$ (unit RC variance), which often lets the first L-BFGS step overshoot.
lower, upper	Optional parameter bounds for the optimizer, in natural-scale units (forward-transformed internally to scaled space when <code>scale_vars != "none"</code> ). Each accepts three forms: NULL (default) Unbounded ( $-\text{Inf}/\text{Inf}$ ). <b>Unnamed numeric vector of length</b> <code>n_params</code> Full-length vector ordered exactly like <code>theta_init</code> (the <code>nloptr</code> -native form). <b>Named numeric vector</b> Names must be a subset of the parameter names ( $\beta$ block: column names of X; $\mu$ block: <code>Mu_&lt;col&gt;</code> (if <code>rc_mean = TRUE</code> ); Cholesky block: <code>L_&lt;i&gt;&lt;j&gt;</code> for $i \geq j$ ; ASC block: <code>ASC_&lt;level&gt;</code> ). Unlisted parameters default to $\pm\infty$ . This is the recommended form for typical use, e.g. <code>lower = c(L_11 = -5, L_22 = -5)</code> to clip Cholesky diagonals.
optimizer	Optimizer to use: "nloptr" (default), "optim", or a custom function. See <a href="#">run_mnlogit</a> for details.
control	List of optimizer-specific control parameters.
se_method	Method for computing standard errors. One of "hessian" (default) for the analytical Hessian of the simulated log-likelihood, "bhhh" for the BHHH/outer-product-of-gradients (OPG) estimator, or "sandwich" for the robust (Huber-White) variance $V = A^{-1}BA^{-1}$ (bread $A =$ weighted negated Hessian, meat $B =$ weight-squared OPG). Use "sandwich" for valid inference under choice-based / WESML weighting, where the inverse-Hessian and ordinary BHHH are invalid; it reduces to the usual robust variance under uniform weights. BHHH scales better to large problems (many alternatives or simulation draws) but may underestimate standard errors in finite samples or away from the optimum.
scale_vars	Pre-estimation column scaling for design matrices. One of "none" (default), "sd" (sample standard deviation), "mad" ( <code>stats::mad</code> , i.e. $1.4826 \times$ median

absolute deviation; SD-equivalent under normality), or "iqr" (stats::IQR(x) / 1.349; also SD-equivalent under normality). When not "none", every column of X and W is divided by the chosen scale before optimization to improve Hessian conditioning. Robust scales ("mad"/"iqr") better capture the bulk for heavy-tailed columns where SD is dominated by outliers, but stats::mad can return zero when more than half of a column's entries are identical (e.g., a sparse 0/1 dummy) and will then trigger the same near-constant-column error as "sd". Coefficients and standard errors are back-transformed to the user's natural units via the delta method, so reported quantities are invariant to this choice. Columns of W associated with log-normal random coefficients (rc\_dist == 1) are passed through unchanged, since the shifted log-normal parameterization does not admit a closed-form back-transform under multiplicative scaling.

**weights** Optional weight vector (convenience workflow). If NULL, equal weights are used.

**outside\_opt\_label** Label for the outside option (convenience workflow).

**include\_outside\_option** Logical whether to include an outside option (convenience workflow).

**keep\_data** Logical. If TRUE (default), stores prepared data in the returned object for post-estimation functions.

**nloptr\_opts** Deprecated. Use optimizer and control instead.

**weights\_col** Optional name of a column in data holding a per-row weight (constant within each choice situation). Mutually exclusive with weights; the recommended way to pass WESML weights from `sample_by_choice / wesml_weights`, since alignment is by id rather than by position. Convenience workflow only. If data carries choice-based-sampling provenance (a "choice\_sampling" attribute, as attached by `sample_by_choice / wesml_weights`) and neither weights nor weights\_col is supplied, the recorded weight column is auto-detected and applied (with a message); if that column is absent the call errors rather than silently fitting an unweighted model under a WESML label.

## Details

Two workflows are supported:

**Convenience** Supply data and column names. Data preparation (`prepare_mx1_data`) and Halton draw generation (`get_halton_normals`) are handled automatically.

**Advanced** Call `prepare_mx1_data` and `get_halton_normals` yourself, then pass the results via `input_data` and `eta_draws`.

## Value

A `choicer_mx1` object (inherits from `choicer_fit`). Standard S3 methods available: `summary()`, `coef()`, `vcov()`, `logLik()`, `AIC()`, `BIC()`, `nobs()`.

**Examples**

```

library(data.table)
set.seed(42)
N <- 100; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N), w2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]

fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = c("w1", "w2"), S = 50L
)
summary(fit)

```

---

run\_nestlogit

*Runs nested logit estimation*


---

**Description**

Estimates a nested logit model via maximum likelihood.

**Usage**

```

run_nestlogit(
  data = NULL,
  id_col = NULL,
  alt_col = NULL,
  choice_col = NULL,
  covariate_cols = NULL,
  nest_col = NULL,
  input_data = NULL,
  use_asc = TRUE,
  theta_init = NULL,
  param_names = NULL,
  optimizer = NULL,
  control = list(),
  weights = NULL,
  outside_opt_label = NULL,
  include_outside_option = FALSE,
  keep_data = TRUE,
  nloptr_opts = NULL
)

```

**Arguments**

<code>data</code>	Data frame containing choice data (convenience workflow). Mutually exclusive with <code>input_data</code> .
<code>id_col</code>	Name of the column identifying choice situations.
<code>alt_col</code>	Name of the column identifying alternatives.
<code>choice_col</code>	Name of the column indicating chosen alternative (1/0).
<code>covariate_cols</code>	Vector of column names for covariates.
<code>nest_col</code>	Name of the column mapping each alternative to its nest (convenience workflow).
<code>input_data</code>	List containing prepared input data for estimation (advanced workflow). Mutually exclusive with <code>data</code> .
<code>use_asc</code>	Logical indicating whether to include alternative specific constants (ASCs).
<code>theta_init</code>	Optional initial parameter vector. If NULL, a default vector is used.
<code>param_names</code>	Optional vector of parameter names. If NULL, default names are generated.
<code>optimizer</code>	Optimizer to use: "nloptr" (default), "optim", or a custom function. See <a href="#">run_mnlogit</a> for details.
<code>control</code>	List of optimizer-specific control parameters.
<code>weights</code>	Optional weight vector (convenience workflow). If NULL, equal weights are used.
<code>outside_opt_label</code>	Label for the outside option (convenience workflow).
<code>include_outside_option</code>	Logical whether to include an outside option (convenience workflow).
<code>keep_data</code>	Logical. If TRUE (default), stores prepared data in the returned object for post-estimation functions.
<code>nloptr_opts</code>	Deprecated. Use <code>optimizer</code> and <code>control</code> instead.

**Details**

Two workflows are supported:

**Convenience** Supply data and column names (including `nest_col`). Data preparation ([prepare\\_nl\\_data](#)) is handled automatically.

**Advanced** Call [prepare\\_nl\\_data](#) (or build the input list manually) and pass it via `input_data`.

**Value**

A `choicer_nl` object (inherits from `choicer_fit`). Standard S3 methods available: `summary()`, `coef()`, `vcov()`, `logLik()`, `AIC()`, `BIC()`, `nobs()`.

**Examples**

```

library(data.table)
set.seed(42)
N <- 100; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]

fit <- run_nestlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = c("x1", "x2"), nest_col = "nest"
)
summary(fit)

```

---

sample\_by\_choice

---

*Draw a choice-based sample stratified by the chosen alternative*


---

**Description**

Subsamples whole choice situations from a population data set according to fixed per-stratum quotas, where strata are defined by the *chosen* alternative. The input data set is treated as the population, so the population shares  $Q(j)$  are known exactly; the returned sample carries a ready-to-use WESML weight column (see [wesml\\_weights](#)).

**Usage**

```

sample_by_choice(
  data,
  id_col,
  alt_col,
  choice_col,
  n_per_alt = NULL,
  frac_per_alt = NULL,
  seed = NULL,
  weight_name = ".wesml_weight",
  outside_opt_label = NULL,
  include_outside_option = FALSE
)

```

**Arguments**

data, id\_col, alt\_col, choice\_col  
 As in [wesml\\_weights](#).

n_per_alt	Either a single integer applied to every stratum, or a named integer vector of per-stratum counts (names matched to <code>as.character(alt)</code> , covering all strata). Mutually exclusive with <code>frac_per_alt</code> .
frac_per_alt	Either a single fraction in $[0, 1]$ applied to every stratum, or a named numeric vector of per-stratum fractions. Mutually exclusive with <code>n_per_alt</code> .
seed	Optional integer seed for reproducible sampling.
weight_name	Name of the attached weight column (default <code>".wesml_weight"</code> ).
outside_opt_label, include_outside_option	As in <a href="#">wesml_weights</a> (for an implicit outside good).

### Details

Sampling is by choice situation (`id`), never by row: all alternative-rows of a sampled situation are kept together. Sampling is **without replacement**.

### Value

A `data.table` subsample with the weight column appended and `"Q"`, `"H"`, and `"choice_sampling"` attributes (the last records the scheme, shares, quotas, and `meat = "robust"`).

### References

Manski, C. F. and Lerman, S. R. (1977). *Econometrica* 45(8), 1977-1988.

### See Also

[wesml\\_weights](#), [run\\_mxlogit](#)

### Examples

```
library(data.table)
set.seed(1)
N <- 600L; J <- 3L
pop <- data.table(id = rep(seq_len(N), each = J), alt = rep(1:J, N))
pop[, x1 := rnorm(.N)]
pop[, w1 := rnorm(.N)]
pop[, choice := as.integer(seq_len(.N) == sample.int(.N, 1L)), by = id]

s <- sample_by_choice(pop, "id", "alt", "choice", n_per_alt = 50L, seed = 1L)
attr(s, "choice_sampling")$H # realized sample shares
head(s[[".wesml_weight"]])
```

---

simulate\_mnl\_data      *Simulate multinomial logit data*

---

### Description

Generates synthetic choice data with i.i.d. Gumbel errors, optionally with varying choice-set sizes and an outside option (`alt = 0`). Choices are determined by argmax of utility; covariates are drawn as `Uniform(-1, 1)`.

### Usage

```
simulate_mnl_data(  
  N = 5000,  
  J = 5,  
  beta = c(0.8, -0.6),  
  delta = NULL,  
  seed = 123,  
  outside_option = TRUE,  
  vary_choice_set = TRUE  
)
```

### Arguments

<code>N</code>	Number of choice situations.
<code>J</code>	Number of inside alternatives.
<code>beta</code>	Fixed coefficients for $x_1 \dots x_{K_x}$ (length $K_x = \text{length}(\text{beta})$ ).
<code>delta</code>	Alternative-specific constants for inside alternatives (length <code>J</code> ). Defaults to an alternating pattern of <code>c(0.5, -0.5)</code> .
<code>seed</code>	Random seed. Pass <code>NULL</code> to skip <code>set.seed()</code> (useful inside <code>monte_carlo()</code> where the caller manages RNG).
<code>outside_option</code>	Logical; if <code>TRUE</code> (default) an outside option with <code>alt = 0</code> and zero covariates is added to every choice set.
<code>vary_choice_set</code>	Logical; if <code>TRUE</code> (default) choice set size is sampled uniformly from <code>2:J</code> ; if <code>FALSE</code> every individual faces all <code>J</code> inside alternatives.

### Value

A `chooser_sim` object.

### Examples

```
sim <- simulate_mnl_data(N = 1000, J = 5, seed = 123)  
print(sim)
```

---

simulate\_mxl\_data      *Simulate mixed logit data*

---

### Description

Generates synthetic choice data with random coefficients drawn from a multivariate normal (optionally log-normal per dimension) and an additional mean shifter  $\mu$ . Random coefficients are parameterized via the lower Cholesky factor of  $\Sigma$ . Covariates are  $\text{Uniform}(-1, 1)$  by default; columns named in `price_cols` are drawn as  $-\text{Uniform}(0.1, 3)$  to mimic strictly-negative price variables.

### Usage

```
simulate_mxl_data(
  N = 5000,
  J = 4,
  beta = c(0.8, -0.6),
  delta = NULL,
  mu = NULL,
  Sigma = matrix(c(1, 0.5, 0.5, 1.5), nrow = 2),
  rc_dist = NULL,
  rc_correlation = NULL,
  price_cols = NULL,
  seed = 123,
  outside_option = TRUE,
  vary_choice_set = TRUE
)
```

### Arguments

<code>N</code>	Number of choice situations.
<code>J</code>	Number of inside alternatives.
<code>beta</code>	Fixed coefficients for $x_1 \dots x_{K_x}$ (length $K_x = \text{length}(\text{beta})$ ).
<code>delta</code>	ASCs for inside alternatives (length $J$ ). Defaults to an alternating pattern of $c(0.5, -0.5)$ .
<code>mu</code>	Mean shifter for random coefficients (length $K_w = \text{ncol}(\Sigma)$ ). Defaults to a zero vector.
<code>Sigma</code>	Covariance matrix of random coefficients (square, $K_w \times K_w$ ).
<code>rc_dist</code>	Integer vector (length $K_w$ ): 0L for normal, 1L for log-normal. Default NULL is treated as all-normal.
<code>rc_correlation</code>	Logical; if NULL (default) it is auto-detected from the off-diagonal entries of $\Sigma$ .
<code>price_cols</code>	Character vector of $w^*$ column names to draw as $-\text{Uniform}(0.1, 3)$ instead of $\text{Uniform}(-1, 1)$ . Default NULL.

seed                    Random seed (NULL skips `set.seed()`).

outside\_option        Logical; include outside option with `alt = 0`.

vary\_choice\_set        Logical; if TRUE (default) choice set size is sampled uniformly from 2:J.

## Details

Random coefficients are constructed to match the estimator's parameterization in `src/mxlogit.cpp`. For every dimension the raw draw is  $L \times \eta$  where  $\eta \sim N(0, I)$ . A normal random coefficient (`rc_dist = 0`) is then  $\gamma_k = \mu_k + (L \times \eta)_k$ . A log-normal random coefficient (`rc_dist = 1`) follows the shifted log-normal  $\beta_k = \exp(\mu_k) + \exp((L \times \eta)_k)$  – not the textbook  $\exp(\mu_k + \sigma_k * \eta)$  – so  $\mu_k$  in `true_params$mu` is on the same scale the estimator recovers and `recovery_table()` can compare like-for-like.

## Value

A `chooser_sim` object. `true_params` includes `beta`, `delta`, `Sigma`, `L_params` (packed Cholesky parameters), `mu`, `rc_dist`, `rc_correlation`.

## Examples

```
sim <- simulate_mxl_data(N = 1000, J = 4, seed = 123)
print(sim)
```

---

simulate\_nl\_data            *Simulate nested logit data*

---

## Description

Generates synthetic choice data with nested logit probabilities computed analytically (log-sum-exp over inclusive values), then samples choices from the implied multinomial. The outside option ( $j = 0$ ) sits in a singleton nest with  $\lambda = 1$ .

## Usage

```
simulate_nl_data(
  N = 10000,
  beta = c(1.5, -0.8),
  delta = c(`1` = 0.5, `2` = 0.3, `3` = -0.2, `4` = -0.5, `5` = 0.4),
  nests = list(c(1, 2), c(3, 4, 5)),
  lambdas = c(0.8, 0.2),
  seed = 123
)
```

**Arguments**

N	Number of choice situations.
beta	Fixed coefficients for covariates X, W (length 2 by default).
delta	Named numeric vector of ASCs for inside alternatives.
nests	List of integer vectors defining nest membership for inside alternatives.
lambdas	Numeric vector of dissimilarity parameters, one per nest.
seed	Random seed (NULL skips set.seed()).

**Value**

A choicer\_sim object. true\_params includes beta, delta, lambdas; settings includes the nest\_structure. The returned data retains a nest column (integer, with 0L for the outside option) for convenient use with run\_nestlogit().

**Note**

Unlike simulate\_mnl\_data() and simulate\_mxl\_data(), this function does not expose outside\_option or vary\_choice\_set flags. The outside option (j = 0) is always present as a singleton nest with lambda = 1, and every individual faces the full set of inside alternatives. Add these flags if downstream use cases need them.

**Examples**

```
sim <- simulate_nl_data(N = 2000, seed = 123)
print(sim)
```

---

summary.choicer\_mnl    *Summary for multinomial logit model*

---

**Description**

Computes and returns a coefficient summary table with standard errors, z-values, p-values, and significance codes. Triggers lazy Hessian computation if standard errors have not been computed yet.

**Usage**

```
## S3 method for class 'choicer_mnl'
summary(object, ...)
```

**Arguments**

object	A choicer_mnl object.
...	Additional arguments (ignored).

**Value**

A summary.choicer\_mnl object (list with coefficients table and metadata).

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
summary(fit)
```

---

summary.choicer\_mxl     *Summary for mixed logit model*

---

**Description**

Computes coefficient summary with delta-method transformation for variance parameters (Cholesky to covariance scale) and log-normal mean parameters. Triggers lazy Hessian computation if standard errors have not been computed yet.

**Usage**

```
## S3 method for class 'choicer_mxl'
summary(object, ...)
```

**Arguments**

object            A choicer\_mxl object.  
...                Additional arguments (ignored).

**Value**

A summary.choicer\_mxl object.

**Examples**

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
```

```
fit <- run_mxlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = "x1", random_var_cols = "w1", S = 50L
)
summary(fit)
```

---

summary.choicer\_nl      *Summary for nested logit model*

---

## Description

Triggers lazy Hessian computation if standard errors have not been computed yet.

## Usage

```
## S3 method for class 'choicer_nl'
summary(object, ...)
```

## Arguments

object	A choicer_nl object.
...	Additional arguments (ignored).

## Value

A summary.choicer\_nl object.

## Examples

```
library(data.table)
set.seed(42)
N <- 50; J <- 4
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, nest := ifelse(alt <= 2, "A", "B")]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_nestlogit(
  data = dt, id_col = "id", alt_col = "alt", choice_col = "choice",
  covariate_cols = c("x1", "x2"), nest_col = "nest"
)
summary(fit)
```

---

vcov.choicer_fit	<i>Extract variance-covariance matrix from a choicer_fit object</i>
------------------	---

---

### Description

Triggers lazy Hessian computation if vcov has not been computed yet.

### Usage

```
## S3 method for class 'choicer_fit'
vcov(object, ...)
```

### Arguments

object	A choicer_fit object.
...	Additional arguments (ignored).

### Value

Named variance-covariance matrix, or NULL if unavailable.

### Examples

```
library(data.table)
set.seed(42)
N <- 50; J <- 3
dt <- data.table(id = rep(1:N, each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), x2 = rnorm(.N))]
dt[, choice := 0L]
dt[, choice := sample(c(1L, rep(0L, J - 1))), by = id]
fit <- run_mnlogit(dt, "id", "alt", "choice", c("x1", "x2"))
vcov(fit)
```

---

wesml_vcov	<i>Robust (sandwich) variance for a weighted / choice-based mixed logit fit</i>
------------	---

---

### Description

Recomputes the robust Huber-White sandwich variance  $V = A^{-1}BA^{-1}$  for a fitted mixed logit, where the bread  $A = \sum_i w_i(-H_i)$  is the weighted negated Hessian and the meat  $B = \sum_i w_i^2 s_i s_i'$  is the weight-squared outer product of the per-individual scores. This is the appropriate variance under choice-based (endogenous stratified) / WESML weighting, where the inverse-Hessian and the ordinary BHHH variance are invalid. It can be called on any fitted model (e.g. one estimated with `se_method = "hessian"`) to obtain robust standard errors post hoc, without refitting.

**Usage**

```
wesml_vcov(object, ...)

## S3 method for class 'choicer_mxl'
wesml_vcov(object, type = c("vcov", "se"), ...)
```

**Arguments**

object	A fitted choicer_mxl object (requires keep_data = TRUE).
...	Unused.
type	Either "vcov" (default) to return the variance-covariance matrix or "se" to return the standard-error vector.

**Details**

If the stored weights are uniform (all equal), a warning is emitted: the returned variance is then the ordinary robust (Huber-White) variance, not a WESML-weighted variance. Refit with WESML weights for a choice-based-sampling correction.

**Value**

A variance-covariance matrix (type = "vcov") or a named numeric vector of standard errors (type = "se"), in the raw parameter space.

**See Also**

[wesml\\_weights](#), [sample\\_by\\_choice](#), [run\\_mxlogit](#)

**Examples**

```
library(data.table)
set.seed(1)
N <- 200L; J <- 3L
dt <- data.table(id = rep(seq_len(N), each = J), alt = rep(1:J, N))
dt[, `:=`(x1 = rnorm(.N), w1 = rnorm(.N))]
dt[, choice := as.integer(seq_len(.N) == sample.int(.N, 1L)), by = id]
fit <- run_mxlogit(dt, "id", "alt", "choice", "x1", "w1", S = 50L)
wesml_vcov(fit, "se")
```

**Description**

Computes Manski-Lerman (1977) Weighted Exogenous Sample Maximum Likelihood (WESML) weights for a choice-based sample. The weight for a choice situation whose chosen alternative is  $j$  is  $w = Q(j)/H(j)$ , where  $Q(j)$  is the population share of alternative  $j$  and  $H(j)$  its sample share among choosers. Using these weights in `run_mxlogit` restores consistency under choice-based sampling; pair them with `se_method = "sandwich"` for valid (robust) standard errors (the plain inverse-Hessian is invalid under weighting).

**Usage**

```
wesml_weights(
  data,
  id_col,
  alt_col,
  choice_col,
  Q,
  H = NULL,
  normalize = TRUE,
  attach = FALSE,
  weight_name = ".wesml_weight",
  outside_opt_label = NULL,
  include_outside_option = FALSE
)
```

**Arguments**

<code>data</code>	A long-format choice data set ( <code>data.frame</code> or <code>data.table</code> ), one row per alternative per choice situation.
<code>id_col, alt_col, choice_col</code>	Column names identifying the choice situation, the alternative, and the 0/1 chosen indicator.
<code>Q</code>	Named numeric vector of population shares, one entry per chosen stratum (names matched to <code>as.character(alt)</code> ), each strictly positive. Renormalized to sum 1 if needed.
<code>H</code>	Optional named numeric vector of sample shares. If <code>NULL</code> (default) it is computed from data as the fraction of choice situations choosing each alternative.
<code>normalize</code>	If <code>TRUE</code> (default) the returned weights are scaled to mean 1. This does not affect the point estimates or the sandwich variance.
<code>attach</code>	If <code>TRUE</code> , return data with a row-level weight column appended (the per-situation weight repeated across all rows of a situation), ready to pass to <code>run_mxlogit(weights_col = ...)</code> . If <code>FALSE</code> (default) return an id-keyed table of weights.
<code>weight_name</code>	Name of the weight column (default <code>".wesml_weight"</code> ).
<code>outside_opt_label, include_outside_option</code>	Set <code>include_outside_option = TRUE</code> and supply <code>outside_opt_label</code> when the outside good is implicit (choice situations with no 1 in <code>choice_col</code> are treated as having chosen the outside good).

**Details**

Strata are defined by the chosen alternative and keyed by `as.character(alt)` so numeric and character alternative codes match supplied share names unambiguously.

**Value**

Either an `id`-keyed `data.table` with columns `id_col` and `weight_name` (default), or, when `attach = TRUE`, a copy of data with the `weight` column appended. The result carries "Q", "H", and "choice\_sampling" attributes recording provenance.

**References**

Manski, C. F. and Lerman, S. R. (1977). The Estimation of Choice Probabilities from Choice Based Samples. *Econometrica* 45(8), 1977-1988. Train, K. E. (2009). *Discrete Choice Methods with Simulation*, Section 3.7. Cambridge University Press.

**See Also**

[sample\\_by\\_choice](#), [run\\_mxlogit](#), [wesml\\_vcov](#)

**Examples**

```
library(data.table)
set.seed(1)
N <- 300L; J <- 3L
pop <- data.table(id = rep(seq_len(N), each = J), alt = rep(1:J, N))
pop[, x1 := rnorm(.N)]
pop[, w1 := rnorm(.N)]
pop[, choice := as.integer(seq_len(.N) == sample.int(.N, 1L)), by = id]

# Population shares of the chosen alternative
Q <- prop.table(table(pop[choice == 1, alt]))
wt <- wesml_weights(pop, "id", "alt", "choice", Q = Q)
head(wt)
```

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